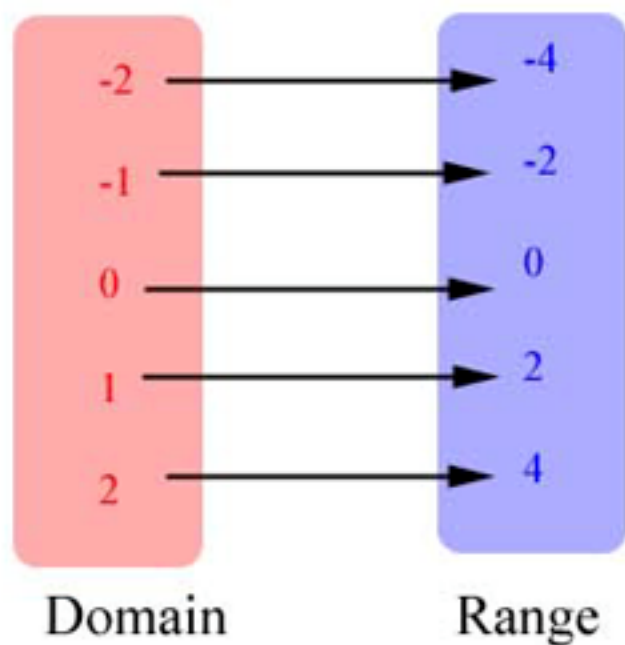


A **function** is a correspondence in which each member of the **Domain** is matched with exactly one member of the **Range**.

This correspondence can be illustrated by using a **mapping diagram** as shown below.



Functions are often named by letters and may use the letters ***f, g, h***.

Two different notations may be used to represent functions:

- 1) $f(x) = 2x$ which is read "***f of x***" and represents the value of the function at x .
- 2) $f: x \rightarrow 2x$ which is read ***f***, the function that assigns x to $2x$.

Ex 1) Find the Range of the given function if the

$$\text{Domain} = \{1, 2, 3\}$$

This can also be written as find: $f(1)$, $f(2)$, and $f(3)$ for the function.

$$f(x) = x^2 - 5 \quad \text{also written as } f: x \rightarrow x^2 - 5$$

$$f(1) = 1 \rightarrow \overset{f(x)}{x^2 - 5} \rightarrow -4$$

$$f(2) = 2 \rightarrow \overset{f(x)}{x^2 - 5} \rightarrow -1$$

$$f(3) = 3 \rightarrow \overset{f(x)}{x^2 - 5} \rightarrow 4$$

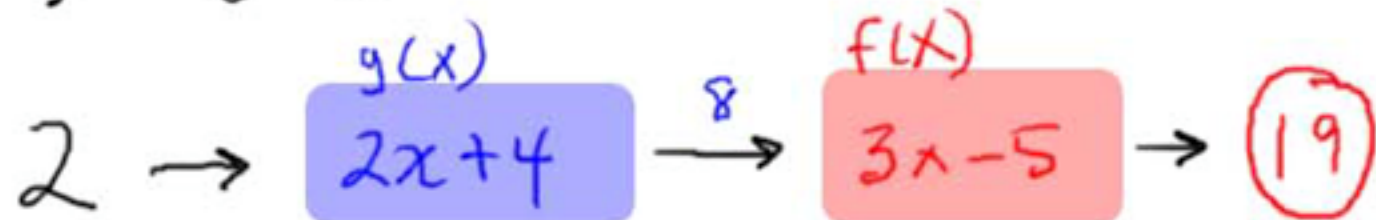
$$\text{Range} = \{-4, -1, 4\}$$

Ex 2) Given that $f(x) = 3x - 5$ and $g(x) = 2x + 4$

a) find $f(g(2))$

b) and find $g(f(2))$

$$a) f(g(2)) = 19$$



$$b) g(f(2)) = 6$$



Ex 3) Find the Domain of the function:

$$f(x) = \frac{x}{x-5}$$

Translation: What value of x would make the denominator equal to zero?

$$x \neq 5$$

Domain = {all real numbers except $x \neq 5$ }